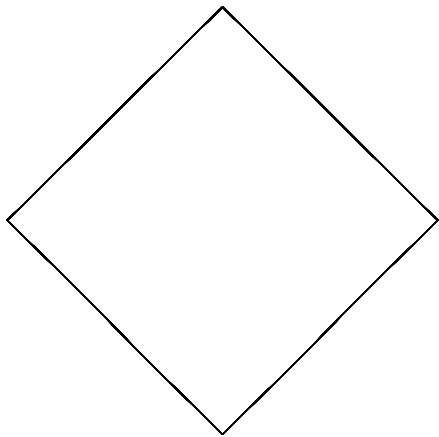


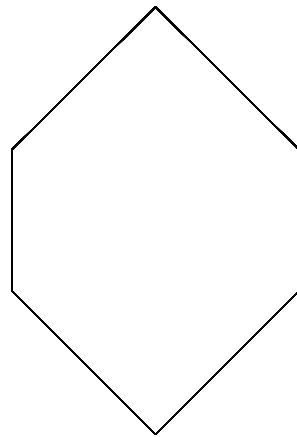
Symmetry about $n*S/2$ and the number of distinct images as a function of P

Porcupine images are created when P is the largest number less than (or smallest number larger than) $n*S/2$. The images are identical above and below $n*S/2$ as long as $VCF = \text{GCD}(J, n) = 1$. If $VCF > 1$, then the same is true for P above and below $(\frac{n}{VCF})*S/2$. In general, if this is an integer, $P = (\frac{n}{VCF})*S/2$ is a vertical line.

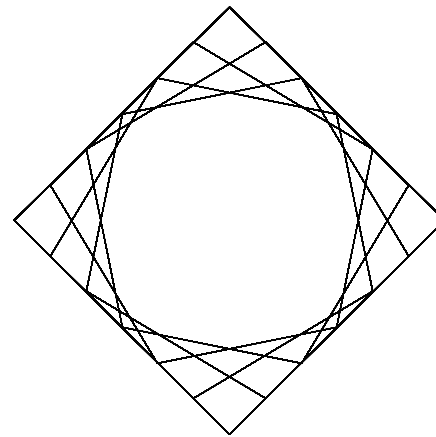
The vertex frame occurs if P is a factor of S because each line in the frame is created using one or more segments. (If $S = 12$, six P values produce the vertex frame ($P = 1, 2, 3, 4, 6,$ and 12). Let $N_{\text{FACTORS}}(S)$ be the number of factors of a number S (including 1 and S). Each of these factors will produce a single image (the vertex frame). As a result, there are $\text{INTEGER}((\frac{n}{VCF})*S/2) - N_{\text{FACTORS}}(S) + 1$ distinct images. Below are 8 of 9 distinct images given $S = 6$, $J = 1$ and $n = 4$.



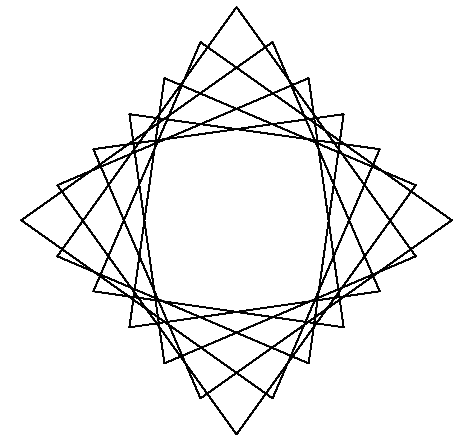
$P = 1, 2, 3,$ and 6



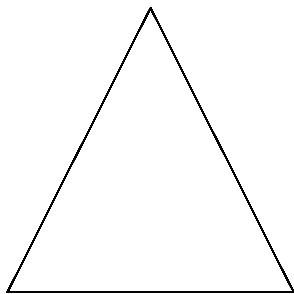
$P = 4$



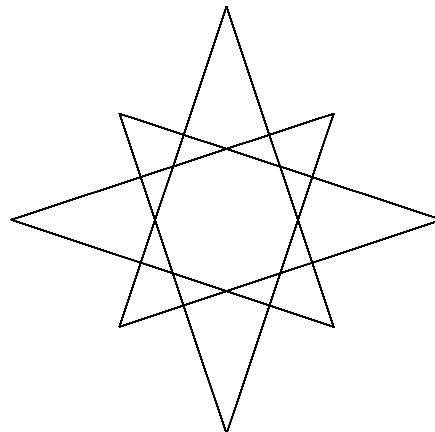
$P = 5$



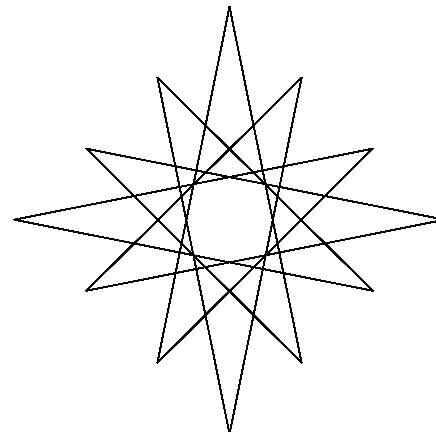
$P = 7$



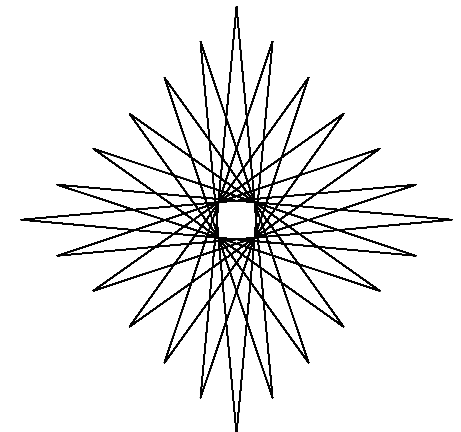
$P = 8$



$P = 9$



$P = 10$



$P = 11$

The final image, $P = 12$, is a vertical line. There are 9 distinct images because $\text{INTEGER}((\frac{n}{VCF})*S/2) - N_{\text{FACTORS}}(S) + 1 = \text{INTEGER}((4/1)*6/2) - 4 + 1 = 9$.