

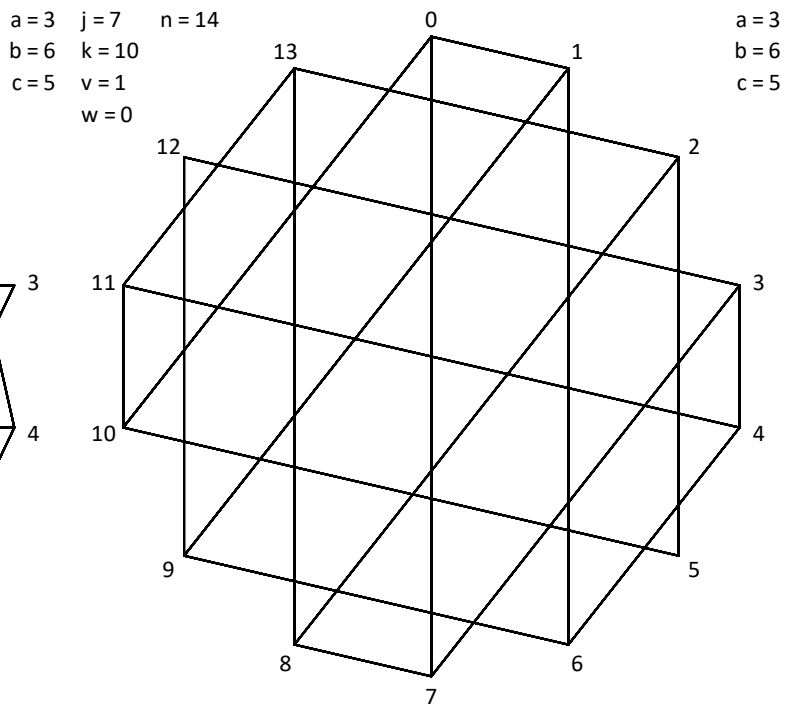
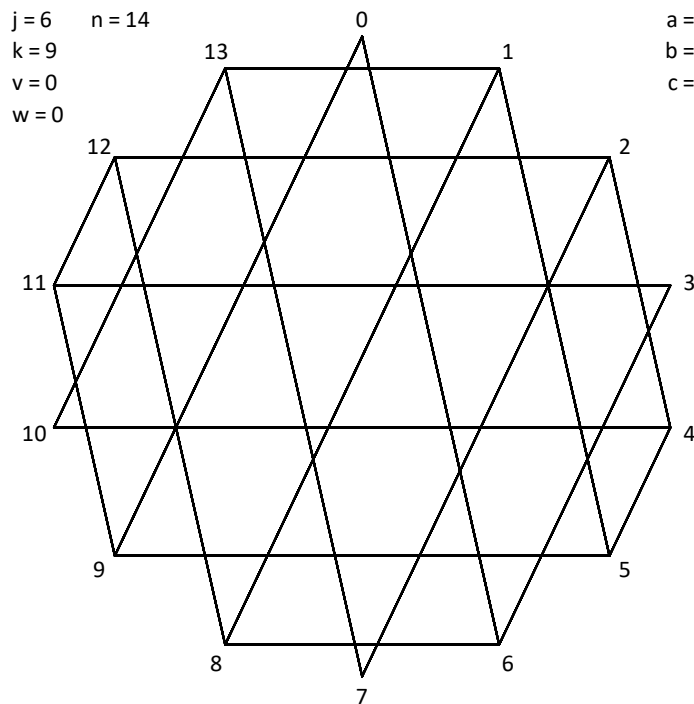
## Reverse Engineering the Image: Going from Angles to Images

The *Attributes of Excel File 9* paper provides a description of how to manipulate and interpret the file. One of the outputs of that file is a set of numbers,  $a$ ,  $b$ , and  $c$ , each greater than zero that sum to  $n$  and represent the angles for triangles in the image (once multiplied by  $180^\circ/n$ ). The discussion in the file (in cells M6:X8) shows how to get  $a$ ,  $b$ , and  $c$  from  $j$ ,  $k$ ,  $v$ ,  $w$ , and  $n$ . Here we provide a method for going in the other direction. Given  $a$ ,  $b$ , and  $c$ , what values of  $j$ ,  $k$ ,  $v$ ,  $w$ , and  $n$  produce an image with the necessary angles?

*An example:* Suppose  $a$ ,  $b$ , and  $c$ , are the values 3, 5, and 6 but no one value is tied to  $a$ ,  $b$ , or  $c$ . We know that  $n = 14$  here. Due to rotational issues discussed in the *Attributes* paper, many answers provide an image with these attributes. But, when  $n$  is even, two distinct images (meaning one cannot be obtained from the other via rotation) satisfy this criterion (as noted in Files 7 and 8). In those files, we saw that one had a horizontal base and the other had a slanted base. These rules produce images with smallest (apex) angle at 0 tilted less steeply in the positive direction:

HORIZONTAL:  $j = \text{largest of } (a, b, c),$   
 $k = n - \text{next largest of } (a, b, c),$   
 $v = w = 0.$

SLANTED:  $j = \text{largest of } (a, b, c) + 1,$   
 $k = n - \text{next largest of } (a, b, c) + 1,$   
 $v = 1, \text{ and } w = 0.$



If  $n$  is odd, both rules produce images that are the same (but rotated) from one another.