

Glossary of Commonly Used Terms (Reference to where the term was introduced)

C is the number of segments in a cycle. $C = S/\text{GCD}(S, P)$. (2.2c)

Circuit: A circuit is complete once the starting point for the image (in **PwP** this is always the top of the circle) is achieved as an endpoint. (1.2)

Continuously drawn: An image is continuously drawn if line segments are connected from one to another following a rule until the initial starting point is obtained as the end point of a segment. This applies both to polygons and stars (1.2) and to images with subdivisions (2.1).

Cycle: A partial image consisting of the line segments needed to get from Level 0 back to Level 0. (2.2c)

Distinct images: Images based on different n, S, P, J values may look identical to one another. There are a variety of reasons this may happen. Distinct images have different n, S, P, J values AND look different from one another. (2.3)

E is the number of the parent polygon vertex that occurs at the end of the first cycle. (2.2d)

GCD: The greatest common divisor of two numbers is the largest factor common to both.

Image: Term used for a completed graph. (Introduction)

J is the number of **Jumps** between vertices. When $J = 1$, the resulting image is a polygon. If $J > 1$, stars can emerge. (1)

Just-over and Just-under multiples: Interesting images often times occur when one parameter is close to but not quite a multiple of another. This is seen in numerous places but notably in 1.4, stars as rotating polygons (when $n = m*J \pm a$ where m is a whole number and a is a small whole number. In **File 2**, this is seen in 2.6b *One Level Change* images, 2.7 *Shape-shifting* polygons, as well as with numerous image archetypes in 2.9.

L is the number of **Line** segments in the image. An image may appear to have fewer line segments than listed for a couple of reasons: 1) segments may overlap; 2) segments may be part of the same line. An example of the first is the vertical line that results whenever n is even and $J = n/2$. The simplest example of the second is when $(n, S, P, J) = (3, 2, 1, 1)$. The resulting triangle has $L = 6, 2$ on each of the 3 sides. (2.2a)

Levels: There are $\text{INTEGER}(S/2)$ subdivision-point-created concentric interior circles. (**INTEGER** is the integer portion of a fraction so $\text{INTEGER}(5/2) = \text{INTEGER}(2.5) = 2$ (not 3 as would be the case were we to round up to the next nearest integer as is common mathematical practice).) Points at Level 0 are polygonal vertices and Level $\text{INTEGER}(S/2)$ is the smallest circle. (2.6)

M is the number of cycles in an image. **M** must be a factor of n . (2.2c)

n-gon: An n -sided polygon. (1)

n-gram: An n -sided star. This is a generalization of pentagram. (1)

One-time-around images: If $T = 1$ the image is called a *one-time-around* image. (2.2d)

P is the number of subdivisions between **P**oints. **P** is a whole number. The image is created by connecting subdivision endpoints that are **P** subdivisions apart with a line segment. (2.1)

Polygon: A polygon occurs if the line segments comprising the image do not cross over one another except at the common endpoint. A polygon is regular if all vertices are equally spaced around a circle. Also called an **n**-gon. (1)

S is the number of equally spaced **S**ubdivisions between successive vertices in the vertex frame. **S** is a whole number. (2.1)

SCF: The *subdivision common factor*, **SCF**, is given by $SCF = GCD(P, S * v_{used})$ (2.2a)

Star: A star occurs when the image has segments that cross over other segments at points other than their endpoints. Also called an **n**-gram. (1)

Vertex frame: The vertex frame is the set of line segments which include all possible subdivisions. The vertex frame is solely determined by **n** and **J**. One can visualize the vertex frame by setting $S = P$. (2.2b)

T is the number of times around vertices of the parent polygon are added to create the image. This is most easily seen using *Toggle Drawing* on the companion website. The easiest to see are *1x-around* and *2x-around* images. (2.2d)

VCF: The *vertex common factor*, **VCF**, is given by $VCF = GCD(J, n)$. (2.2a)

v_{used}: The *number of polygon vertices used* is given by $v_{used} = n/VCF$. (2.2a)