

Finding the Total Number of Connected Line Segments in Centered-Point Flowers

When there are multiple jumps involved, it is no longer true that the maximum number of possible segments is simply $n \cdot S$, often written as nS . Now it is a multiple of that number.

In CPF, there are $3n$ vertices in the vertex frame because moving to the next vertex requires 3 movements, the move to the next vertex, then the move in to the center, then the move from the center back out to that vertex. This file forces $J = 1$ so polygons result, but the vertex frame no longer looks like a polygon, but rather a polygonal pie plate with n equal-sized triangular pieces. Since $J = 1$, all polygonal vertices are used and $VCF = 1$.

The number of lines calculation replaces n with $3n$ in the [SCF calculation discussed in the traditional model](#).

On the subdivision common factor, SCF : On each of the $3n$ line segments, we create S subdivisions. The total number of possible subdivision endpoints is thus $3nS$. Not all of these endpoints are used if P has factors in common with $3nS$.

Mathematically, the subdivision common factor, SCF , is: $SCF = \text{GCD}(P, 3nS)$.

The number of lines in the image, L , is then given by: $L = 3nS/SCF$.