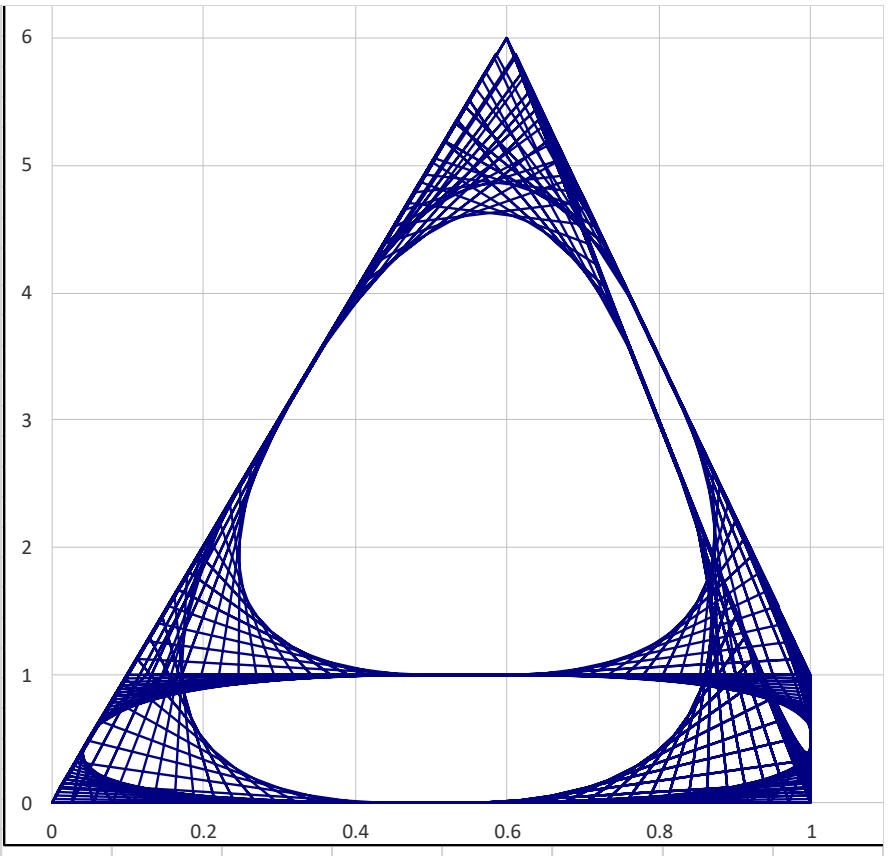


## Linked Vertices

Vertices	X	Y	5
1	0	0	7
2	0.1	1	11
3	1	1	13
4	1	0	17
5	0.6	6	19
6	1	1	23
7	0.1	1	29
8	0.6	6	31
9	1	1	37
10	1	0	41
11	0	0	43
12	1	0	47
13	0.6	6	53
14	1	0	59
15	0	0	61
16	0.6	6	67
17	0.1	1	71
18	0	0	73
19	0.6	6	79
20	1	0	83
999			89
			97

999 above means "vertex not used"



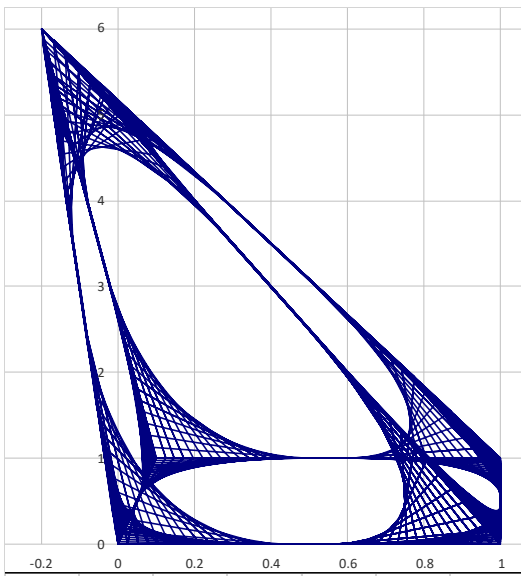
Above is a partial screenshot of sheet **5a** that was created to explore linked vertices. By appropriate choice of 20 (X, Y) vertices, the base and all sides have curves at connecting corners (Note: the left side is not visible in the image above).

The other important cells in that worksheet (not shown) are the highlighted X and Y values in cells V7:W7 (of 0.6 and 6) that control the location of the top vertex via links (=V7 and =W7) in the purple highlighted cells of the Vertices Table. If X or Y is changed, all 5 linked cells change. The other 15 vertices describe the base. (You could vary V to see how the VF was created but that is not the point here.) Sheet **5b** lets you to control all 4 vertices of a pyramid with triangular base.

**Changing X.** The bottom left image occurs if -0.2 is typed in V7. Now the peak is not over the footprint of the base.

**Changing Y.** The bottom right image occurs if 3 is typed in W7 (and V7 is 0.6). Now you can see the left side.

**Questions to consider.** How would you model flying in an airplane over this pyramid and looking down? Suppose you set



$Y = -3$ . Now which triangular face appears to be in front? Set (X, Y) = (-10, 3). Does the base still look like a base or is it now more of a side wall? Next try (10, 3) and ask the same questions. Finally, at (10, -3), which triangular face looks like it is in front?

