

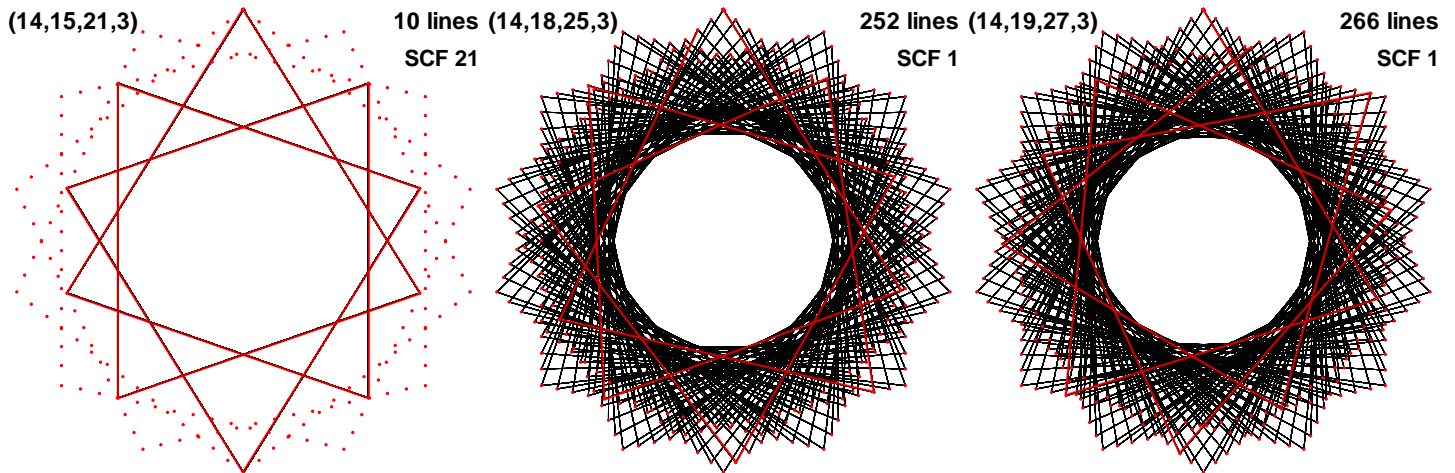
Composite G-Line Images

The **G-line generator function** produces values of P that are within $G/2$ subdivisions of the top of the image after G lines are drawn. $P = \text{ROUND}(k \cdot n \cdot S / G, 0)$ for $k \leq G/2$.

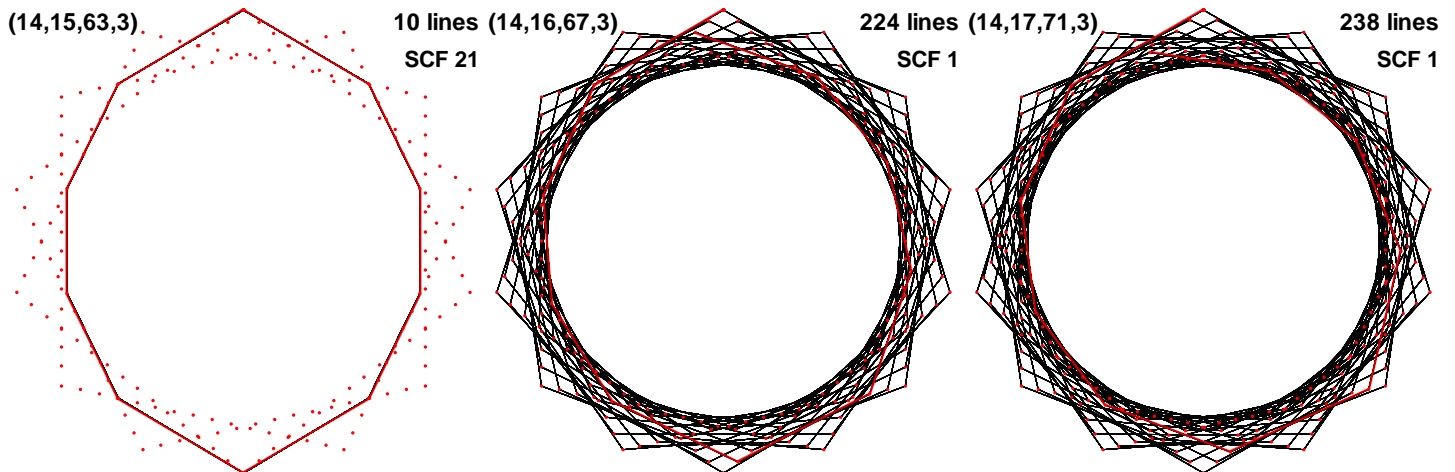
If G is composite (for example, $G = 10$) and one factor of G (2) is a factor of n (14) and the other (5) is factor of S (15), then a remainder zero image (denoted $0r10$) can be obtained using all n vertices if $VCF = 1$. If $J = 3$ and $k = 1$, (14,15,21,3) is the $0r10$ oval 10,3-star at left. Change S to get morphed versions of this image. Two S between 15 and 20 use every subdivision endpoint since $SCF = 1$; $S = 18$ and 19. At middle, (14,18,25,3) has 10th segment endpoint is at -2 because $10P = 250$, 2 less than 252. At right, (14,19,27,3) has 10th segment ends at +4 because $10P = 270$, 4 more than 266.

Each of these images is a $k = 1$ value of P . If S is a multiple of 5, the same $0r10$ oval 10,3-star occurs. When $S = 16$, $P = 22$ and $SCF = 2$; the 10th line is not smallest-step. (Indeed, the 51st endpoint ends at subdivision endpoint 2). But if $S = 17$, then $P = 24$, $SCF = 2$ and the 10th line is smallest-step and ends at subdivision point 2 because $10P = 240$ and $nS = 238$.

When $k = 2$ the $0r10$ image ($P = 42$) is a pentagram and when $k = 4$ the $0r10$ image ($P = 84$) is a pentagon. Both images use every other vertex of the oval 10,3-star.

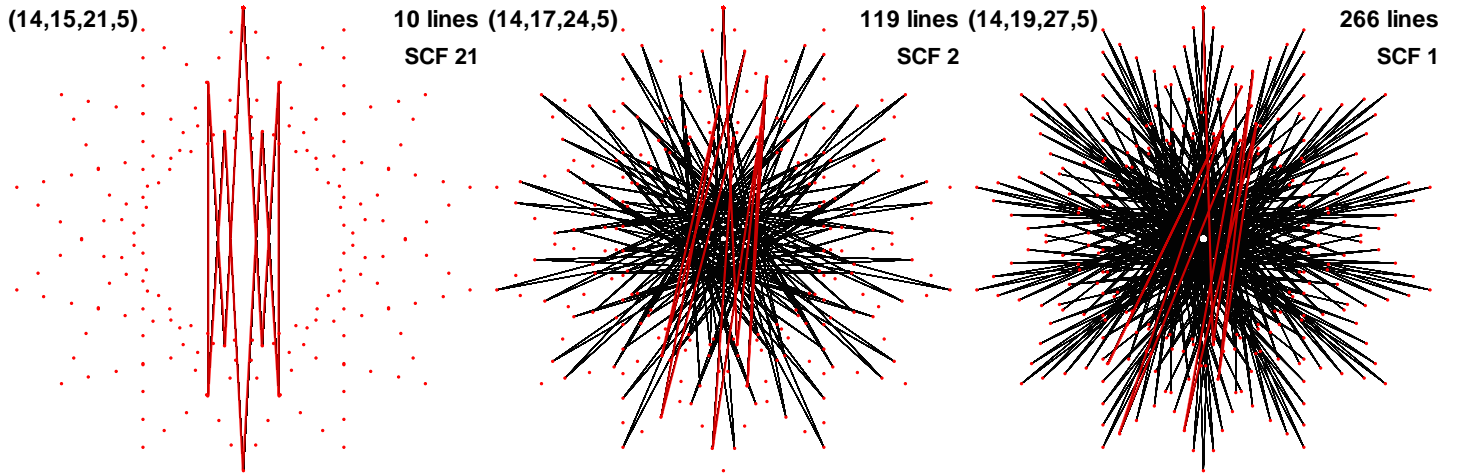


The $k = 3$, $0r10$ oval decagon at left morphs into middle (10th segment ends at -2 = $10 \cdot 63 - 3 \cdot 224$) and right (10th segment ends at +4 = $10 \cdot 71 - 3 \cdot 238$). The next two values of S (18 and 19) have $SCF = 4$ and $SCF = 2$, respectively. The $S = 18$ version is *smallest-step* of length 21 at subdivision endpoint 84, and the $S = 19$ version is smallest-step of length 10 at endpoint 2.

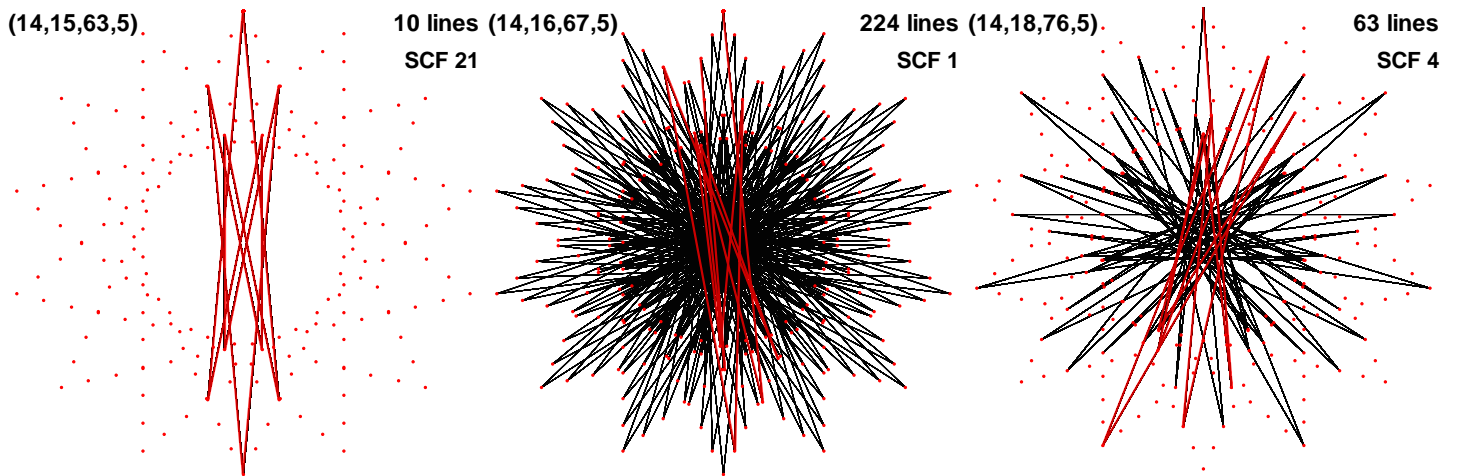


Each of the above was based on $J = 3$. When $J = 1$, and $k = 1$ the $0r10$ image is an irregular 10,1-star (on a 14,1-VF) which turns into a 5,1-star for $k = 2$; a 10,3-star for $k = 3$; and a 5,2-star for $k = 4$. $J = 2$, $k = 1$ produces an irregular 5,1-star (on a 7,1-VF since $VCF = 2$); $J = 4$, $k = 1$ produces an irregular 5,2-star (on a 7,2-VF since $VCF = 2$); and $J = 6$, $k = 1$ produces an even more irregular 5,2-star (on a 7,3-VF since $VCF = 2$). This star has very small feet.

The sole remaining $J < n/2$ is 5. This produces additional interesting images. The first shown is $k = 1$ which is reminiscent of [finger traps](#) with a smaller number of lines. The right image is the $J = 5$ counterpart to the right image in the first row.



Next are the $k = 3$ images. The middle image is the $J = 5$ counterpart to the middle image on the second row. And note that the right image below has SCF = 4 and the 10th line ends at subdivision endpoint 4.



Note that each of these $0r10$ images are composed of two cycles of 5 lines each. Hence all three have both horizontal and vertical symmetry. One final set of images is provided below, based on $J = 5$. When $k = 2$ and 4, only the even endpoints are used and we end up with a small 5,1-star for $k = 2$, (14,15,42,5), and a small 5,2-star for $k = 4$, (14,15,84,5). Both are shown below and both exhibit obvious connections to [polygons and stars in a cycle](#) and to [small images](#).

